

1. \$300 grows 5% per year. Write the model.

$$b = 1.05$$

$$\text{Answer: } y = 300(1.05)^t$$

2. Same account after 2 years?

$$300 \times 1.1025$$

$$\text{Answer: } \$330.75$$

3. A \$900 laptop loses 20% of value yearly. Model?

$$b = 0.80$$

$$\text{Answer: } y = 900(0.80)^t$$

4. Same laptop after 3 years?

$$900 \times 0.512$$

$$\text{Answer: } \$460.80$$

5. In  $v(t) = 500(1.08)^t$ , what is the percent growth rate? (Trainer echo!)

$$1.08 = 1 + 0.08$$

$$\text{Answer: } 8\% \text{ per year}$$

6. In  $y = 250(0.94)^t$ , what percent decay?

$$1 - 0.94$$

$$\text{Answer: } 6\% \text{ per period}$$

7. A town of 8000 grows 3% yearly. Population after 4 years (nearest whole)?

$$8000 \times 1.03^4 = 8000 \times 1.1255$$

$$\text{Answer: about } 9004$$

8. Which grows faster after many years:  $y = 1000(1.02)^t$  or  $y = 500(1.06)^t$ ?

Bigger  $b$  wins long-run

$$\text{Answer: the } 6\% \text{ one - rate beats start}$$

9. A car worth \$24,000 loses 15% per year. Write the model and find when it's first below \$12,000 (test whole years)

$$y = 24000(0.85)^t$$

$$t=4: 12,528; t=5: 10,649$$

$$\text{Answer: year } 5$$

10. Tuition is \$10,000 and rises 4% yearly. Model, cost in 3 years, and total % increase over those 3 years.

$$y = 10000(1.04)^t$$

$$1.04^3 = 1.1249 - \$11,248.64$$

$$\text{Answer: } \$11,248.64; \text{ about } 12.5\% \text{ total}$$